

# Laser-Induced Porous Graphene Sponge for Oil Sorption

Katherine M. Atwater<sup>1</sup>, Eric J. Bailey<sup>1</sup>, Allen C. Chang<sup>1</sup>, Griffin L. Godbey<sup>1</sup>, John Mecham<sup>1</sup>, Amine Oueslati<sup>1</sup>, James M. Tour<sup>2</sup>, Chandra Thamire<sup>3</sup>, Ray J. Phaneuf<sup>1</sup>



<sup>1</sup>Department of Materials Science and Engineering, University of Maryland, College Park, MD

<sup>2</sup>Department of Chemistry, Rice University, Houston, TX

<sup>3</sup>Department of Mechanical Engineering, University of Maryland, College Park, MD



## Motivation

- Oil spills have significant environmental, economic, and societal impacts
- Carbon-based materials show promise for oil sorption [1]
- Current technology for oil removal is not selective [1]
- A scalable, comparatively inexpensive fabrication technique for laser-induced porous graphene (LIG) was developed [2]

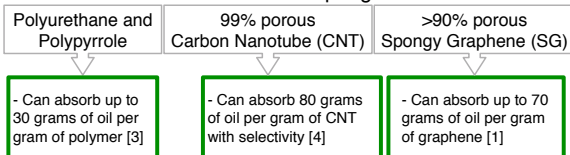


## Objectives

- Develop a tunable porous graphene material for oil sorption
- Create atomistic and fluid flow models for oil sorption in porous graphene
- Determine a relation between pore size and oil sorption

## Background

### Materials for Oil Sponges



- Selective only with coating
- Environmentally harmful
- High volume needed

- Very expensive
- Complex, resource intensive processing

## Laser-Induced Graphene

A novel method of producing porous graphene by irradiating polyimide (PI) film with a 3.6W IR laser was recently developed [2]

- Laser ablation breaks non-carbon-carbon bonds leaving porous graphene behind
- LIG porosity, pore size, and film thicknesses are controllable with process parameters
- LIG is cost effective and scalable

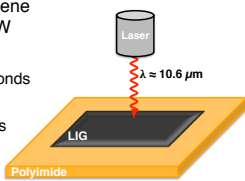


Figure 1: Schematic of LIG production on PI substrate using a 3.6W IR CO<sub>2</sub> laser

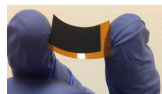


Figure 2: 25μm thick, 2.5cm<sup>2</sup> 3.6W LIG on polyimide substrate

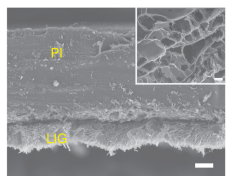


Figure 3: SEM image of LIG on the PI substrate; scale bar, 20 μm. Inset scale bar, 1 μm. [2]

Table 1: Pore data for 3.6W-LIG [2]

Diameter (Å)	Density (m <sup>2</sup> g <sup>-1</sup> )	Proportion (%)
23.6	137.5	47
36.8	92.5	31.6
53.7	47.5	16.2
89.4	15	5.1
<b>Total</b>	<b>292.5</b>	<b>100</b>

## Atomistic Modeling

### Goal:

Understand oil-graphene interaction at the nanoscale

### Energy Minimization in VASP:

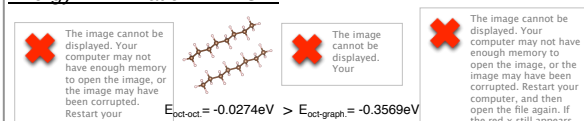


Figure 4: Interaction energies between system components. Octane-graphene is favored.

Figure 5: Lowest energy configuration of octane on graphene.

### Molecular Dynamics in LAMMPS:

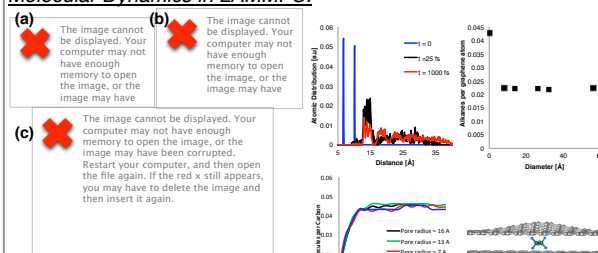


Figure 6: Simulation of octane and porous graphene (a) before simulation and (b) after alkane absorption. (c) Illustrates layering of alkanes.

Figure 7: Graphene stretched by octane.

## Fluid Flow Modelling

### Goal:

Implement Darcy's Law to understand bulk fluid flow through porous media.

### Equation:

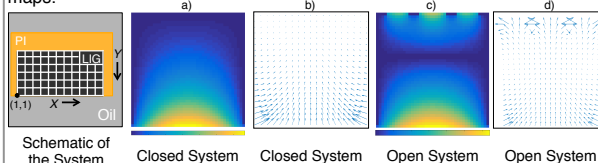
$$\left(\frac{\partial^2 \Psi}{\partial X^2} + \frac{\partial^2 \Psi}{\partial Y^2}\right) = -\omega, \text{ where } U \frac{\partial \omega}{\partial X} + V \frac{\partial \omega}{\partial Y} = \frac{\epsilon}{Re} \left(\frac{\partial^2 \omega}{\partial X^2} + \frac{\partial^2 \omega}{\partial Y^2}\right) - \frac{\epsilon^2}{Da Re} \omega - \frac{F \epsilon^2}{\sqrt{Da}} \|\mathbf{v}\| \omega$$

$\Psi$  = stream function;  $X, Y$  = coordinates;  $\omega$  = vorticity;  $Da$  = Darcy Number;  $F$  = geometric function;  $U, V$  = interstitial velocity components;  $\epsilon$  = porosity;  $Re$  = Reynolds Number;  $\mathbf{v}$  = velocity vector (all variables are dimensionless)

### Assumptions and inputs:

System initially empty (air omitted); Porosity is uniform in X and Y directions; Excluding influence of gravity;  $\epsilon$ ,  $Re$ ,  $Da$  estimated from our system.

Results: (a,c) Steady-state stream functions, (b,d) fluid velocity vector maps.



## Experimental

### Materials

- Sample: 25μm thick, 2.4cm<sup>2</sup> 3.6W LIG on polyimide substrate
- Oil: 99% anhydrous n-octane
- Microbalance: 0.001 ± 0.01 mg

### Experimental results:

- Porous graphene only absorbs nonpolar octane and not polar water
- The sorption capacity of LIG is about 8 grams of oil per gram of graphene
- Samples exhibit capillary action when partially submerged in octane
- Absorption may be surface-only due to linear dependence with time

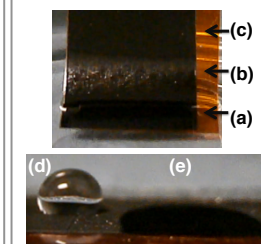


Figure 8: Capillary action of oil, with (a) oil, (b) wet graphene, and (c) dry graphene. Example of (d) hydrophobicity and (e) oil sorption of LIG.

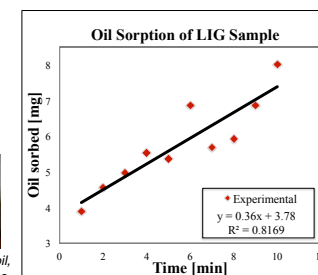


Figure 9: Graph of oil sorption over time. The trend is linear, suggesting surface absorption

## Conclusions

- LIG absorbs fewer grams of oil per gram of graphene
- Oil sorption is independent of pore size
- Distinct octane layers formed over porous graphene sheets
- Sheet spacing is not sufficient for bulk oil sorption
- In its current state, LIG is not a marketable oil sponge

## Future Work

- Fabricate ideal design using open backside of LIG
- Test LIG with different pore characteristics
- Implement crude oil in sorption tests
- Increase sheet spacing of LIG
- Investigate mechanical stability of LIG

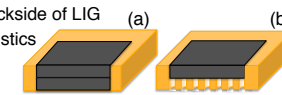


Figure 10: Schematic of idea designs: (a) entire cross-section LIG, (b) LIG on porous PI substrate

## References

- Bi, H., et al. *Advanced Functional Materials*, 2012, 22, p. 4421-4425
- Lin, J., et al., *Nature Communications*, 2014, 5
- Zhou X., et al., *Industrial & Engineering Chemistry Research*, 52, 9411-6 (2013).
- Hashim, D.P., et al., *Scientific Reports*, 2012, 2.
- www.naturechange.org

## Acknowledgements

We would like to thank Dr. S. Ehrman, Dr. J. Klauda, Dr. P. Kofinas, Dr. D. Liu, Dr. Y. Mo, Dr. R. Phaneuf, Dr. S. Phillipot, Dr. C. Preston, Dr. C. Thamire, Dr. J. Tour, A. Kemp, S. Lacey, K. Rohrbach, M. Widstrom, UMD Deepthought, UMD OTC for their guidance, resources, and time. We also thank the Materials Science and Engineering department for funding, support, and everything in the last 4 years.

$$\left(\frac{\partial^2 \Psi}{\partial X^2} + \frac{\partial^2 \Psi}{\partial Y^2}\right) = -\omega \quad U \frac{\partial \omega}{\partial X} + V \frac{\partial \omega}{\partial Y} = \frac{\varepsilon}{Re} \left(\frac{\partial^2 \omega}{\partial X^2} + \frac{\partial^2 \omega}{\partial Y^2}\right) - \frac{\varepsilon^2}{DaRe} \omega - \frac{F\varepsilon^2}{\sqrt{Da}} \|\omega\|$$

